

# *Can the unemployed borrow? Implications for public insurance*

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*The views expressed herein are those of the authors and not necessarily those of the Federal Reserve or Census.*

# Introduction

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**Question:** How does presence of well developed credit market affect optimal public insurance?

- i. To what extent can – and do – can workers self-insure using credit and thus borrow upon becoming unemployed to smooth consumption?
- ii. Is there scope to substitute away from public insurance and to rely more on private self-insurance through credit markets?

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- ▶ Job losers can replace 39% of prior income with unused credit

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- ▶ Job losers maintain credit access, limits decline marginally
  - ▶ Scores and borrowing limits decline marginally

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**This paper:** Link credit reports to earnings

- ▶ Job losers can replace 39% of prior income with unused credit
- ▶ Job losers maintain credit access, limits decline marginally
  - ▶ Scores and borrowing limits decline marginally
- ▶ Constrained individuals delever and default, unconstrained borrow
  - ▶ Net effect is  $\approx$  zero mean borrowing
  - ▶ Both constrained/unconstrained use credit to smooth consumption



## Introduction

**Empirical contribution:** Link credit reports to earnings

- i Job losers can replace 39% of prior income with unused credit on avg (p50  $\approx$  8%)
- ii Job losers maintain credit access, limits decline marginally
- iii Constrained delever and default, unconstrained borrow  $\rightarrow$  both smooth with credit

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**Quantitative contribution:**

- Develop labor search model with defaultable credit lines that...
  1. matches current U.S. credit access levels
  2. replicates empirical facts including non-responsive limits
- Compute optimal transfers to unemployed in steady state, show gains along transition

# Findings

## Findings

### Findings:

- In 2000s, 78% have credit access → optimal transfers replace 34.8% of lost income (vs. current policy of 41.2%)
- Counterfactually shut down credit (0% access) → replace 41.4% of lost income

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## Findings

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- Credit and transfers are complements in GE despite being substitutes at HH level in PE
- If transfers cut too much, precautionary savings+defaults rise & credit mkt contracts
- Moving from current rep. rate of 41.2% (PSID) to 49.6% yields welfare gains to majority

# Data Description

**Data:** LEHD linked to TransUnion

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- LEHD: matched employer-employee dataset, includes earnings, employment
- TransUnion: individual credit reports, includes balances, limits, credit score, delinquency status
- Linked sample of individuals with credit reports from the 11 states for which we have LEHD data, 2001-2014
  - ▶ Arizona, California, Colorado, Delaware, Iowa, Illinois, Indiana, Maryland, Nevada, Virginia, and Washington.
  - ▶ Random sample of credit reports with extra oversampling of bankruptcy, foreclosures, & delinquency.
  - ▶ Reweight sample to match aggregate rates of bankruptcy, foreclosure, & delinquency in those states.

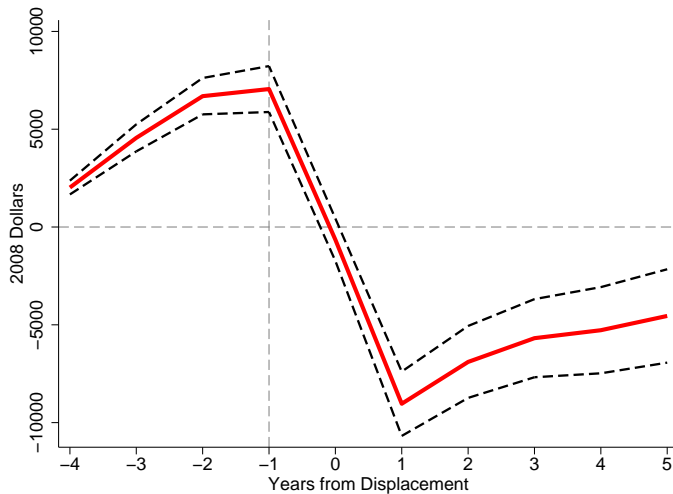
## Data and Empirical Strategy

### Empirical Approach:

- ID mass displacements as in Jacobson, LaLonde, & Sullivan (1993)
- Compare displaced workers (*treatment*) to non-displaced (*control*)
- Focus on revolving credit limits (*stock of credit*), and credit scores (*marginal cost of new credit*)
- Estimate 'distributed lag' specifications:

$$Y_{i,t} = \alpha_i + \gamma_t + \sum_{j=-4}^5 \beta_j D_{j,i,t} + \Gamma X_{i,t} + \epsilon_{i,t}$$

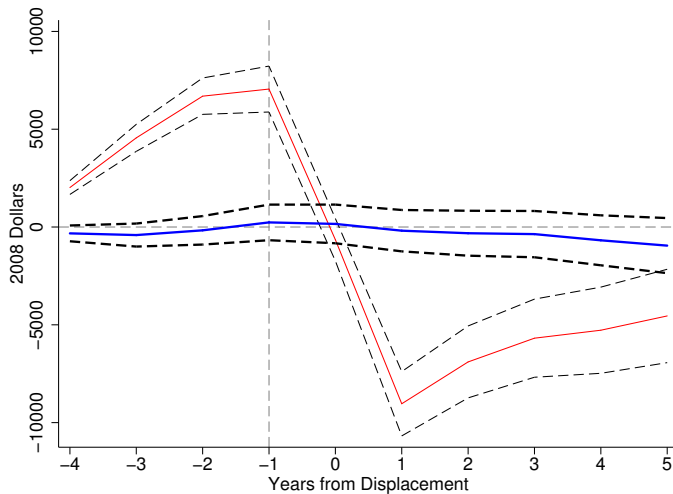
## Real Annual Earnings After Layoff



Pre-layoff mean earnings: \$51,340

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

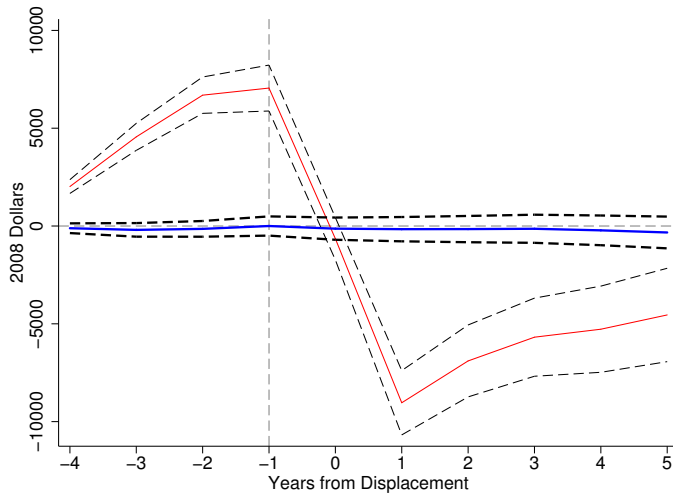
## Credit Limit After Layoff (Red: Earnings Loss (previous))



Revolving credit limit 1-yr. prior to layoff: \$29,780

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

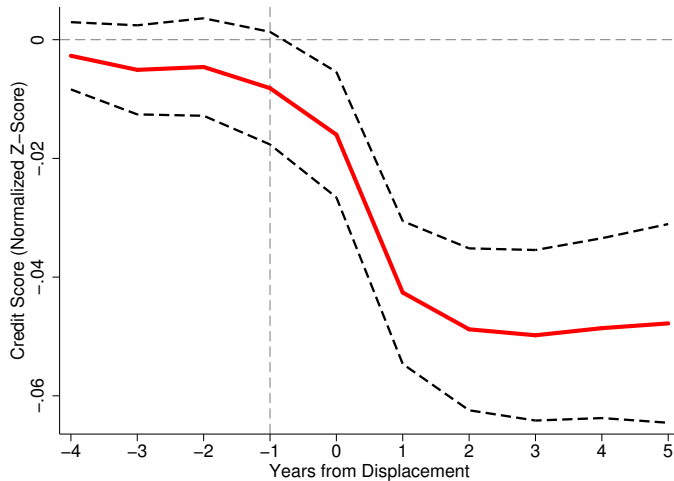
## Credit Balance After Layoff (Red: Earnings Loss (previous))



Revolving credit balance 1-yr. prior to layoff: \$11,300

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

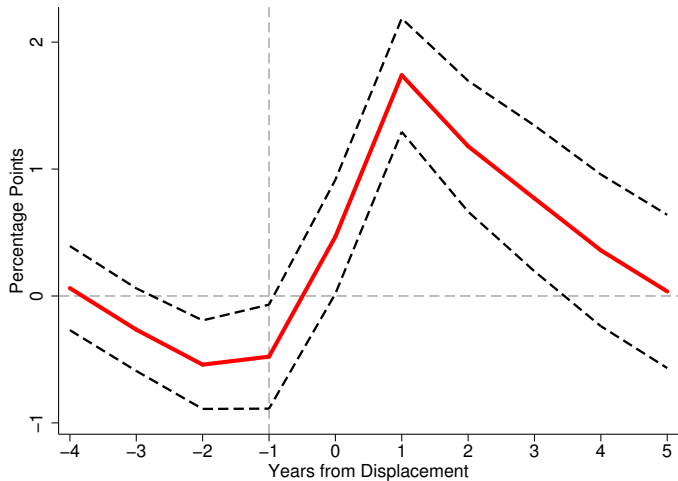
## Credit Score After Layoff (Z-score)



Credit score 1-yr. prior to layoff (Scale 0 to 1000): 427 (average), 267 (SD)

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

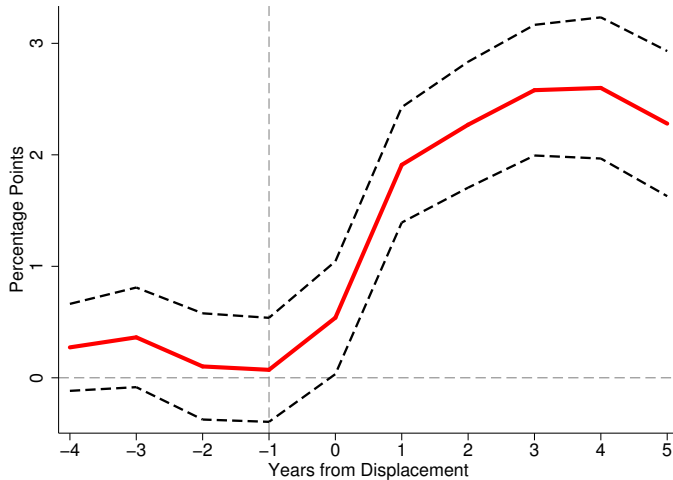
## Debt Chargeoff After Layoff



Chargeoff rate 1-yr. prior to layoff: 9%

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

## Debt Collections After Layoff

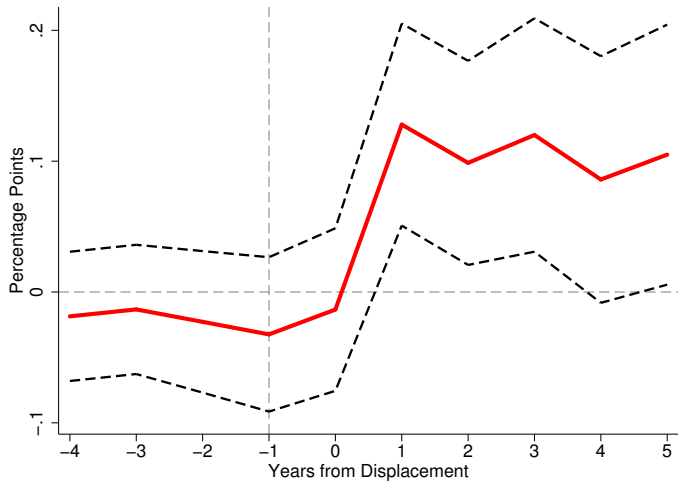


Collections 1-yr. prior to layoff: 17%

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"



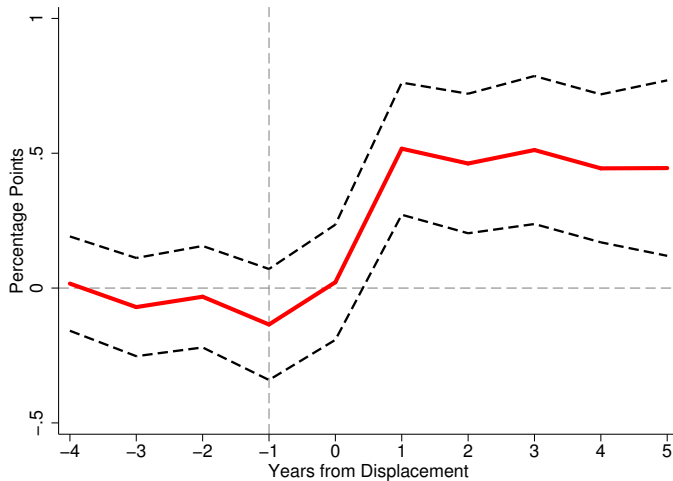
## Bankruptcies After Layoff



Bankruptcies 1-yr. prior to layoff: .9% per annum

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

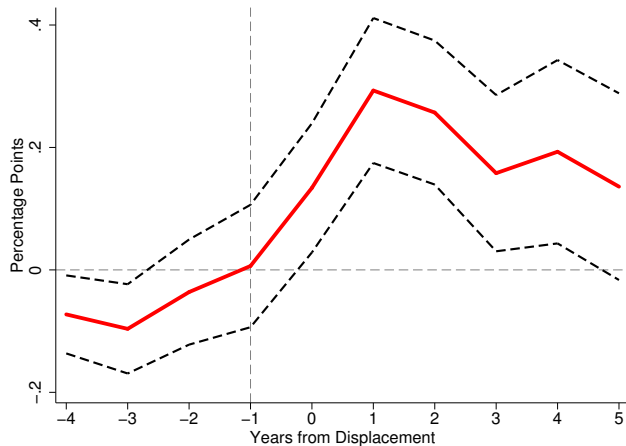
## Derogatory Flag After Layoff



New derogatory flag 1-yr. prior to layoff: 2.9% per annum

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

## New Foreclosures After Layoff



Foreclosures 1-yr. prior to layoff: .5% per annum

Anticipation   Temporary Shocks   Earnings Distribution

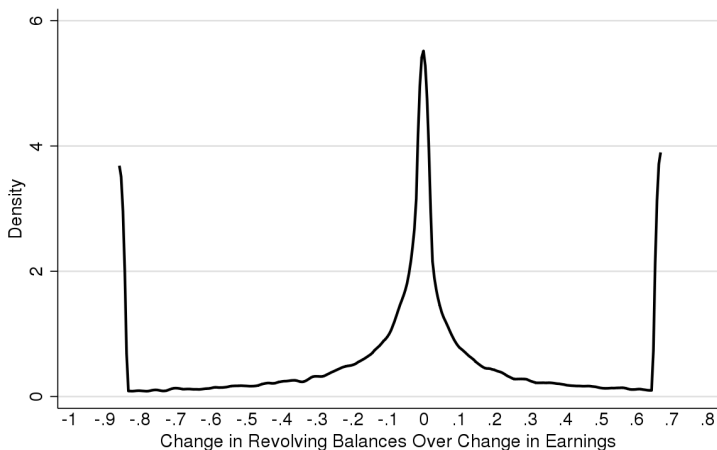
Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

## Heterogeneous borrowing responses

- Cross-section: 56,000 laid off in year  $t$  with earnings loss from  $t - 1$  to  $t + 1$ , positive limit
- Define replacement rate to be  $RR_{i,t} = \frac{-(debt_{i,t+1} - debt_{i,t-1})}{earnings_{i,t+1} - earnings_{i,t-1}}$

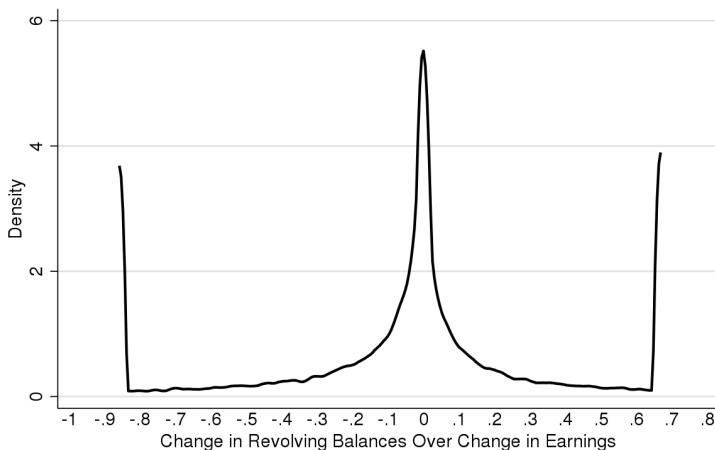
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**Delevering:** 23% have a chargeoff, 46% have delinquency

Dist. Inc.

Sum Stats

With zero limit

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

## What drives heterogeneous borrowing responses?

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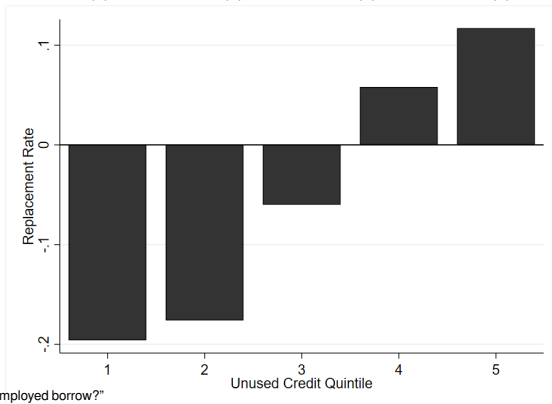
- Split into quintiles by **unused credit share** =  $\frac{\text{Limit minus balance}}{\text{Limit}}$ , high value is unconstrained
- Let  $C_{j,i,t-1}$  be a dummy for **unused credit quintile  $j$** , prior to layoff
- Estimate the following cross-sectional regression:

$$RR_{it} = \lambda_1 + \lambda_2 C_{2,i,t-1} + \lambda_3 C_{3,i,t-1} + \lambda_4 C_{4,i,t-1} + \lambda_5 C_{5,i,t-1} + \gamma_t + \Phi X_{it} + \epsilon_{it}$$

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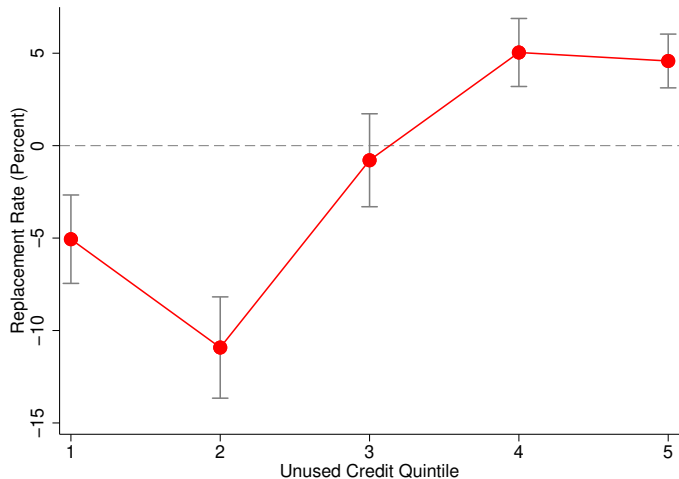
## What drives heterogeneous borrowing responses?

- Use cross-section to measure role of **earnings losses** *within* **credit access** quintile
- Let  $\Delta e_{i,t}$  denote earnings loss in 2008 dollars from  $t - 1$  to  $t + 1$
- Let  $C_{j,i,t-1}$  be a dummy for unused credit quintile  $j$ , prior to layoff
- Estimate specifications of the following form:

$$Y_{i,t} = \gamma_t + \eta + \mu \Delta e_{i,t} + \sum_{j=2}^5 (\eta_j C_{j,i,t-1} + \mu_j C_{j,i,t-1} \times \Delta e_{i,t}) + \Psi X_{i,t} + \epsilon_{i,t}$$

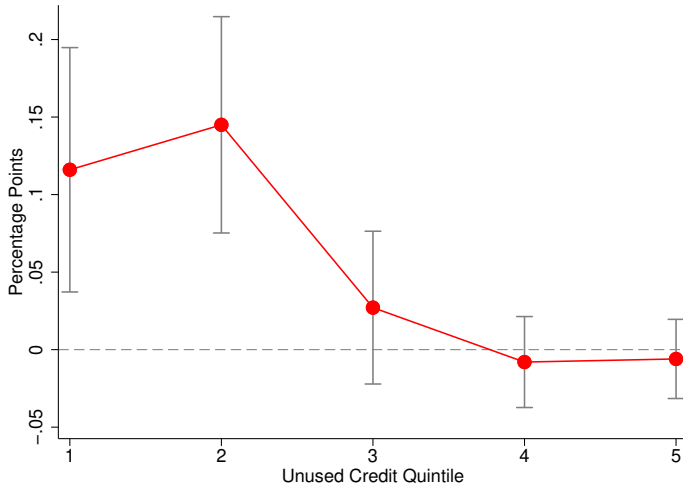
- Coefficient  $\mu + \mu_j$  is marginal change in borrowing for each dollar lost *within*  $j$ th unused credit quintile.

## Revolving Credit Replacement Rate



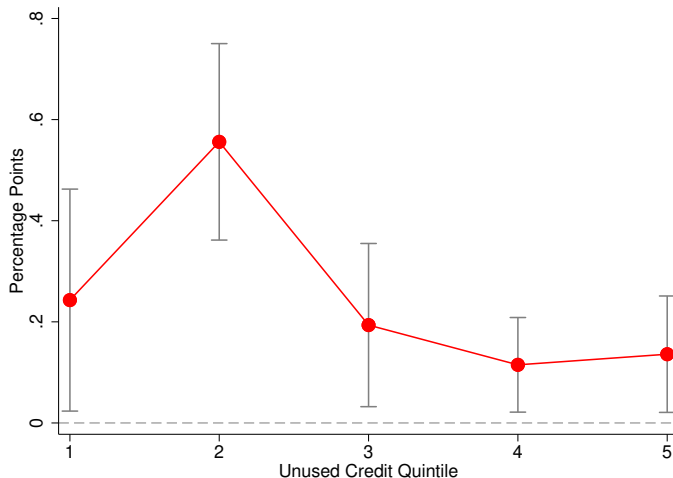
**Constrained** delever -10 cents on dollar, **unconstrained** borrow +5 cents on dollar

## Bankruptcy Rate (\$10,000 Loss)



**Constrained** have new **bankruptcy** (\$10k loss → 20% increase relative to samp avg. )

## Derogatory Flag (\$10,000 Loss)



Constrained have new derog. public flag (\$10k loss → 20% increase relative to samp avg.)

## Summary of empirical findings

### Main take-aways:

- i. Unemployed maintain credit access - **limits** & **balances** do not respond to job loss
- ii. Constrained **default** and delever, unconstrained **borrow**
- iii. Unemployed transfer resources across time and states of world using credit

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### Follow up questions:

- What features of credit markets allow job losers to borrow?
- Can credit serve as substitute for public insurance to the unemployed?

Answer by developing search model with defaultable credit lines

# Model Overview

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## Environment:

- Heterogeneous, risk averse, finitely-lived agents
- Permanent observable discount factors,  $\beta_i \in \{\beta_H, \beta_L\}$
- Direct search for jobs
- Direct search for **credit lines** (interest rate and limit)
- Agents can default on credit lines

## Model Overview

---

- Labor Market: Directed search for jobs
  - Submarket indexed by human capital  $\vec{h}$ , age  $t$  and wage piece rate  $\omega$
  - Produce  $f(\vec{h})$ , pay worker fraction  $\omega$  of output
  - Workers accumulate human capital on-the-job
  - Unemployed ( $\omega = 0$ ) receive public insurance transfer  $z$ , home production  $g$



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- **Credit Market:** Directed search for credit lines
  - Credit lines specify interest rate  $r$  and limit  $\underline{b}$
  - Submarkets indexed by all of agent's state variables as well as requested credit line
  - Agents can default on credit lines, lose access  $(\underline{b}, r) = (0, 0)$
  - Allow for **in-the-contract** search

# Preferences and Choices

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## Preferences:

$$u(c) - \psi_D(b)D - \kappa_S S$$

## Choices:

- Tomorrow's assets  $b'$ 
  - Credit contract w/ limit  $\underline{b}$ :  $b' \geq \underline{b}$
  - Without credit contract:  $b' \geq 0$
- Choose to default ( $D = 1$ ) or repay ( $D = 0$ )
  - Defaulting terminates credit contract
- Those **with** and **without** credit may search for credit ( $S = 1$ ) or not ( $S = 0$ )
- Unemployed choose wage submarket  $\omega$  to search in

## Lenders and Government

### Lenders:

- Risk neutral and obtain funds at risk-free rate  $r_f$
- Pay  $\kappa_c$  to post contract in submarket indexed by agent's states and requested contract
- Free entry by lenders

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## Government:

- Finance transfer  $z$  with proportional tax  $\tau$  on earnings

► Firm Problem

► Equilibrium

## Equilibrium

**RCE:** (1) *individual decision rules are optimal*, (2) *free entry holds in credit and labor market*, (3) *government balances its budget*, and (4) *distribution of agents consistent with decision rules*.

**Conditional Block Recursivity:** If  $\tau$  is exogenously given, model is *Block Recursive*

- ▶ Distribution doesn't affect prices
- ▶ Equilibrium prices and distribution of agents *only* linked by  $\tau$

Greatly simplifies transition dynamics, only need to guess path of  $\tau$

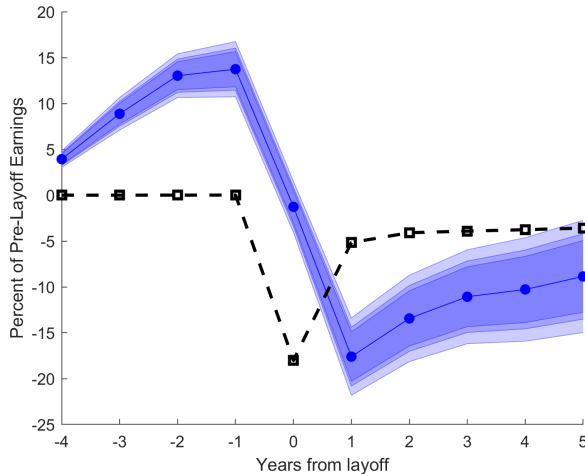
▶ More

## Mapping model to data

- Quarterly calibration,  $r_f = 4\%$ , Discount factor of 'low' default type  $\beta_L = .99$
- Other **standard parameters** from literature
- **Remaining parameters** estimated to match moments

Target used to match Variable	Model	Data	Source		
$z$	0.470	Transfer Replacement Rate	41.1%	41.2%	PSID 2001-2013
$\kappa$	0.512	Unemployment Rate	5.7%	5.7%	BLS, 24-54yo, 2002
$\kappa_C$	$2.18 \times 10^{-5}$	New Borrower Credit Finding Rate	51.3%	51.4%	LEHD-TU 2002-2012
$\kappa_S$	$8.41 \times 10^{-4}$	Share of Individuals with Credit Access	77.8%	77.9%	LEHD-TU 2002-2012
$\psi_D$	18.1	Peak Derogatory Flag Rate	0.003	0.005	LEHD-TU 2002-2012
$\tilde{p}_{h,L}$	0.737	Earnings Loss 5 Yr. After Layoff	-3.6%	-8.9%	LEHD-TU 2002-2012
$\tilde{p}_{h,H}$	0.062	Earnings Gain With Age	0.61%	0.95%	LEHD-TU 2002-2012
$\lambda_H$	2.37	P75-P25 Residual Log Wage Ratio, 25-29yo	0.437	0.662	LEHD-TU 2002-2012
$\alpha$	0.250	Consumption After Benefit Expiration	86.5%	88.0%	Ganong and Noel
$g$	0.345	Consumption After Layoff	94.7%	94.7%	PSID 2001-2013
$\underline{B}$	-0.97	P50 Unused Credit to Income	8.3%	8.2%	LEHD-TU 2002-2012
$\pi_1$	0.387	Q2 Unused Credit Share	34.1%	31.1%	LEHD-TU 2002-2012
$\beta_1$	0.832	Share of Individuals Borrowing Around Job Loss	23.6%	30.6%	LEHD-TU 2002-2012
$\delta_C$	0.024	Credit Separation Rate	5.1%	5.3%	TU 2002-2012
$\lambda_S$	0.586	Trough % earnings loss	-16.7%	-17.6%	LEHD-TU 2002-2012

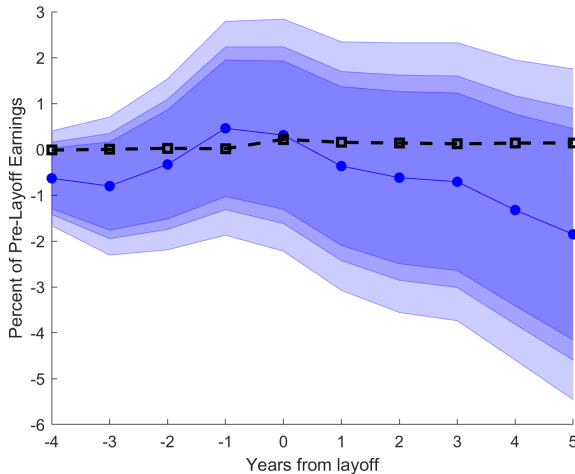
## Model Fit: Earnings Loss (Data: Blue, Model: Black)



Peak to trough earnings losses of 30% in model and data → difficult to match timing

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

## Model Fit: Borrowing Limits (Data: Blue, Model: Black)

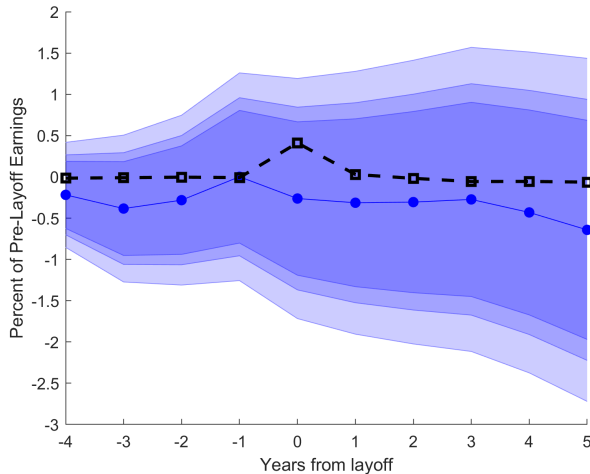


Unemployed maintain access to credit, uptick in measure who take out new credit card

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"



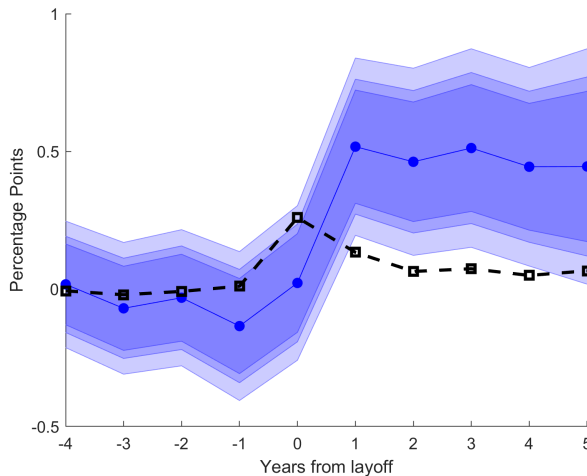
## Model Fit: Borrowing (Data: Blue, Model: Black)



Unemployed borrow small amount on average

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

## Model Fit: Default (Data: Blue, Model: Black)

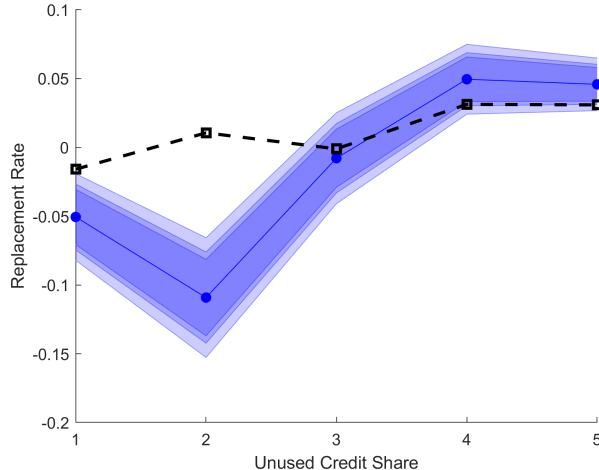


Unemployed default at similar rate to data, earnings trough coincides with peak defaults

Braxton, Herkenhoff & Phillips, "Can the unemployed borrow?"

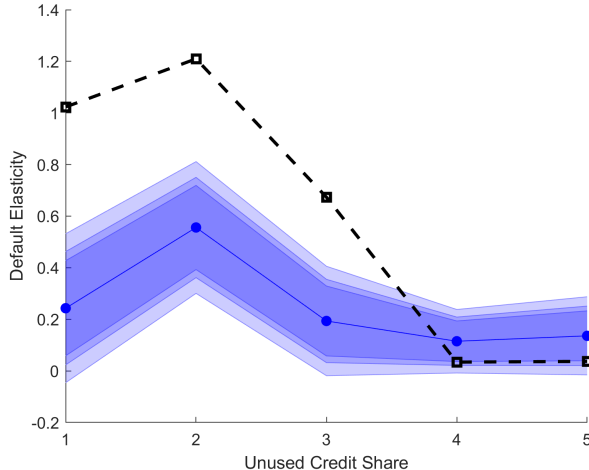
## Model Fit: Borrowing by credit constraint ([Data: Blue](#), Model: Black)

Replicate regressions of borrowing on earnings loss using model simulated data



## Model Fit: Default by credit constraints (Data: Blue, Model: Black)

Replicate regressions of default on earnings loss using model simulated data




## Optimal Public Insurance

- Search for public transfer  $z$  that maximizes **utilitarian welfare** in Steady State

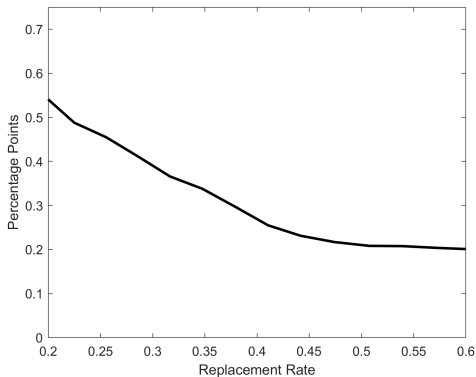
	(1) Baseline Optimal	(2) No Credit	(3) No Search	(4) Lower Limit
Optimal Replacement Rate (%)	34.8	41.4	33.9	35.6
Patient Cons. Equivalent Welfare (%)	0.042	0.003	0.107	0.028
Impatient Cons. Equivalent Welfare (%)	-0.548	0.049	-0.519	-0.465
Cons. Equivalent Welfare ('Behind the veil')(%)	0.010	0.006	0.075	0.002

*Notes: 'Welfare' is the consumption equivalent of leaving an economy with the US policy of a 41.2% replacement rate to an economy with an alternate replacement rate. For example, in column (1), the consumption equivalent welfare change of 0.01% indicates that a newborn individual 'behind the veil' would give up 0.01% of lifetime consumption to have a 34.8% replacement rate as opposed to a 41.2% replacement rate in the baseline model.*

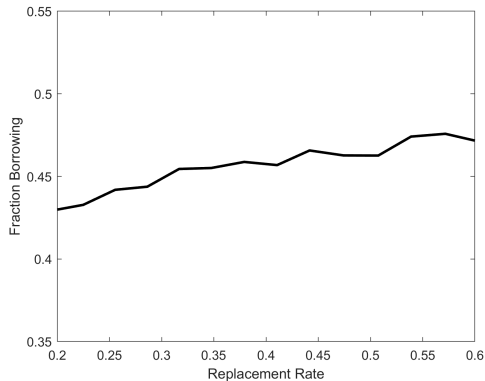
## Why is credit a poor substitute for UI?

- **Micro Substitutes** in PE: borrow more if transfers are cut
- **Macro Complements** in GE: default more if transfers are cut, credit market contracts 

(A) Defaults Around Job Loss



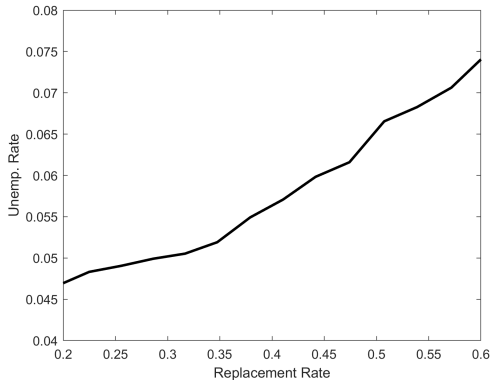
(B) Fraction Borrowing



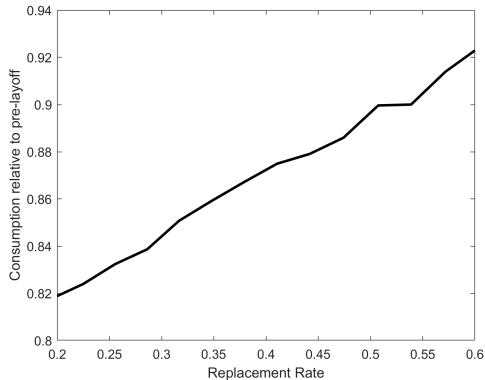
## Why is credit a poor substitute for UI?

- **Utilitarian government:** tradeoff consumption losses (equity) vs. higher taxes/higher unempl. (inefficiency)

**(A) Unemployment Rate**



**(B) Consumption After Job Loss**



# Conclusion

## Three contributions:

1. Unemployed maintain their access to credit following job loss
  - Unconstrained borrow
  - Constrained default and delever
  - Either mechanism implies unemployed use credit markets to smooth consumption
2. Develop labor search model of credit lines
3. Show credit acts as a *limited* substitute for public unemployment insurance
  - Credit and UI are macro complements, thus optimal policy involves high replacement rate of 49.6% despite well developed credit market



## Appendix

## What about credit constraints?

- Recall, we estimate specifications of the following form:

$$Y_{i,t} = \gamma_t + \eta + \mu \Delta e_{i,t} + \sum_{j=2}^5 (\eta_j C_{j,i,t-1} + \mu_j C_{j,i,t-1} \times \Delta e_{i,t}) + \Psi X_{i,t} + \epsilon_{i,t}$$

- Predict **replacement and default rate** across credit score quintiles holding fixed...
  - i. Average earnings loss ( $\overline{\Delta e} = \$ - 25,000$  sample avg.)
  - ii. Composition of individuals ( $\overline{X}$  set to sample avg.)

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$$Y_{i,t} = \gamma_t + \eta + \mu \Delta e_{i,t} + \sum_{j=2}^5 (\eta_j C_{j,i,t-1} + \mu_j C_{j,i,t-1} \times \Delta e_{i,t}) + \Psi X_{i,t} + \epsilon_{i,t}$$

- Predict **replacement and default rate** across credit score quintiles holding fixed...
  - i. Average earnings loss ( $\overline{\Delta e} = \$ - 25,000$  sample avg.)
  - ii. Composition of individuals ( $\overline{X}$  set to sample avg.)
- Let  $\hat{Y}_j$  denote the **predicted value** in the  $j$ th credit access quintile:

$$\hat{Y}_j = \underbrace{\hat{\eta} + \hat{\eta}_j}_{\text{Credit component}} + \underbrace{\hat{\mu} \overline{\Delta e} + \hat{\mu}_j \overline{\Delta e}}_{\text{Earnings loss component}} + \hat{\Psi} \overline{X}$$

## What about credit constraints?

- Recall, we estimate specifications of the following form:

$$Y_{i,t} = \gamma_t + \eta + \mu \Delta e_{i,t} + \sum_{j=2}^5 (\eta_j C_{j,i,t-1} + \mu_j C_{j,i,t-1} \times \Delta e_{i,t}) + \Psi X_{i,t} + \epsilon_{i,t}$$

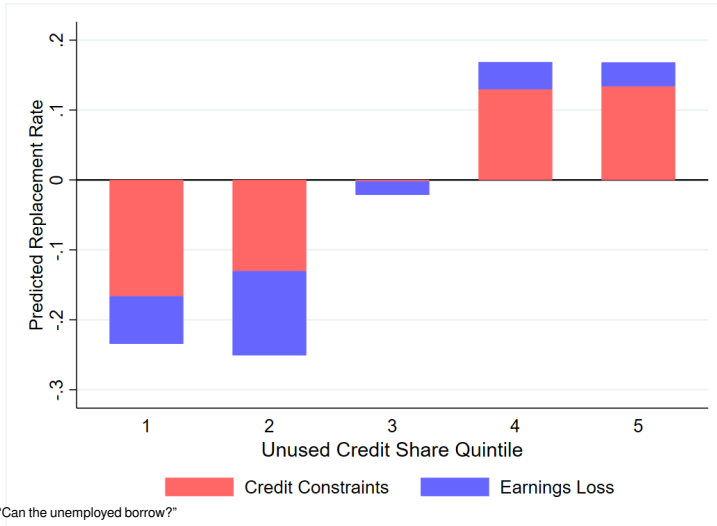
- Predict **replacement and default rate** across credit score quintiles holding fixed...
  - i. Average earnings loss ( $\overline{\Delta e} = \$ - 25,000$  sample avg.)
  - ii. Composition of individuals ( $\overline{X}$  set to sample avg.)
- Let  $\hat{Y}_j$  denote the **predicted value** in the  $j$ th credit access quintile:

$$\hat{Y}_j = \underbrace{\hat{\eta} + \hat{\eta}_j}_{\text{Credit component}} + \underbrace{\hat{\mu} \overline{\Delta e} + \hat{\mu}_j \overline{\Delta e}}_{\text{Earnings loss component}} + \hat{\Psi} \overline{X}$$

- Predicted responses in model and data include non-job loss related borrowing (e.g. constrained delever regardless of job loss), which model can replicate

## Predicted Replacement Rate

- ▶ Holding composition and earnings losses fixed, **constrained delever**, **unconstrained borrow**



## Predicted Bankruptcy Rate

- ▶ Holding composition and earnings loss fixed, **constrained default** more frequently



## Related Literature

- **Empirical Job Loss and Borrowing:** Sullivan (2008), Hurd & Rohwedder (2010), Baker & Yannelis (2015), Gelman, Kariv, Shapiro & Tadelis (2015), Ganong & Noel (2015)
- **GE Search w/ Credit:** Krusell, Mukoyama & Sahin (2010), Nakajima (2012), Herkenhoff (2013), Bethune, Rocheteau & Rupert (2013)
- **Credit Lines:** Mateos-Planas & Seccia (2006), Mateos-Planas & Rios-Rull (2010), Mateos-Planas (2013)
- **Optimal UI w/ Assets:** Shimer and Werning (2005), Lentz (2009), Kolsrud, Landais, Nilson & Spinnewijn (2015)
- **Nonexistence of Private UI:** Chiu & Karnia (1998), Hendren (2015)

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## Appendix: Sample Construction Details

### **ID Displaced Workers (following Jacobson, LaLonde, & Sullivan (1993)):**

1. Employers assigned a State Employment Identification Number (SEIN) in LEHD. This is unit of analysis for mass layoffs.
2. **Mass layoff def'n:** SEIN with at least 20 employees reduces its employment by 20% or more within a quarter and continues operations, or exits in LEHD with contemporaneous plant exit in the LBD.
3. **SPF:** Verify that fewer than 80% of laid-off workers move to any other single SEIN using the Successor Predecessor File (SPF).
4. Removes mergers, firm name-changes, and spin-offs.



## Appendix: Detailed Sample Description

### Panel Sample of Displaced Workers:

1. Prime age (24-64), 3+ years of tenure at time of mass layoff, earned \$1,000 each quarter at the firm in the prior year
2. **Treatment Group:** 92,000 individuals who were displaced as part of the mass layoff
3. **Control group:** 126,000 individuals who were coworkers of those in the treatment group during the mass layoff but were not displaced
4. If involved in two or more mass layoffs, we only use the first event
5. Require control group to never be displaced as part of a mass layoff episode.
6. Sample covers displacements in the years 2002-2012.

## Regression Details

- To compare outcomes of displaced and non-displaced, we estimate distributed lag regressions:

$$Y_{i,t} = \alpha_i + \gamma_t + \sum_{j=-5}^5 \beta_j D_{j,i,t} + \Gamma X_{i,t} + \epsilon_{i,t}$$

where:

- $Y_{i,t}$ : outcome of interest
- $\alpha_i$ : individual fixed effect
- $\gamma_t$ : time fixed effect
- $D_{j,it}$ : indicators denoting individual  $i$  is  $j$  periods from displacement in period  $t$
- $X_{i,t}$ : vector of controls - quadratic in age, and proxies for wealth

## Appendix: TransUnion Variable Description

The unused revolving credit limit ratio is defined as,

$$\frac{\text{Total Revolving Credit Limit} - \text{Total Revolving Balance}}{\text{Lagged Annual Earnings}}$$

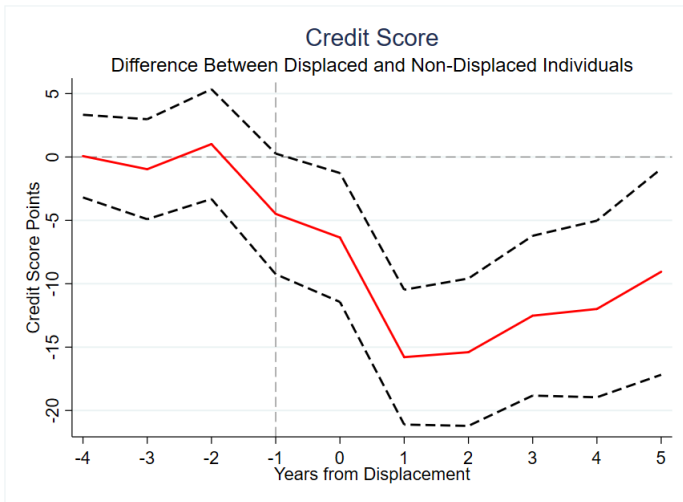
- i. 'Total Revolving Credit Limit' corresponds to the TransUnion variable 'Revolving High Credit/Credit Limit.'
- ii. 'Revolving High Credit/Credit Limit' is constructed as the sum of the 'High Credit/Credit Limit' across all types of revolving debt.
- iii. The 'High Credit/Credit Limit' is defined as the actual credit limit if such a limit is recorded or the highest historical balance if no credit limit is recorded.

## Appendix: JLS Regression Results

	(1) Earnings	(2) Credit Score	(3) Revolving Credit Limit	(4) Revolving Credit Balance
4 Years Before Displacement	1,169*** (167.2)	0.0699 (1.664)	-217.5 (232.3)	39.66 (149.9)
3 Years Before Displacement	2,757*** (220.1)	-0.964 (2.013)	-363.8 (334.7)	-49.26 (202.9)
2 Years Before Displacement	5,049*** (262.8)	1.019 (2.210)	-365.1 (403.0)	-36.50 (240.8)
1 Year Before Displacement	5,157*** (296.8)	-4.488* (2.427)	-347.4 (473.4)	47.28 (281.0)
Year of Displacement	-2,850*** (353.5)	-6.352** (2.595)	-996.4* (533.7)	-473.2 (315.8)
1 Year After Displacement	-13,830*** (410.6)	-15.79*** (2.714)	-1,738*** (572.3)	-583.7* (336.9)
2 Years After Displacement	-9,735*** (429.0)	-15.40*** (2.966)	-1,503** (624.8)	-455.1 (368.3)
3 Years After Displacement	-7,246*** (446.3)	-12.52*** (3.216)	-1,223* (693.2)	-211.5 (414.8)
4 Years After Displacement	-5,293*** (491.2)	-11.99*** (3.554)	-1,423* (783.8)	-186.9 (474.0)
5 Years After Displacement	-3,081*** (556.1)	-9.055** (4.146)	-1,667* (889.9)	-653.4 (552.1)
Individual Fixed Effects	Y	Y	Y	Y
Year Fixed Effects	Y	Y	Y	Y
Age and Wealth Controls	Y	Y	Y	Y
R-squared	0.153	0.019	0.026	0.017
Indiv-Yr Obs.	472000	472000	472000	472000
No. of Indiv	61000	61000	61000	61000

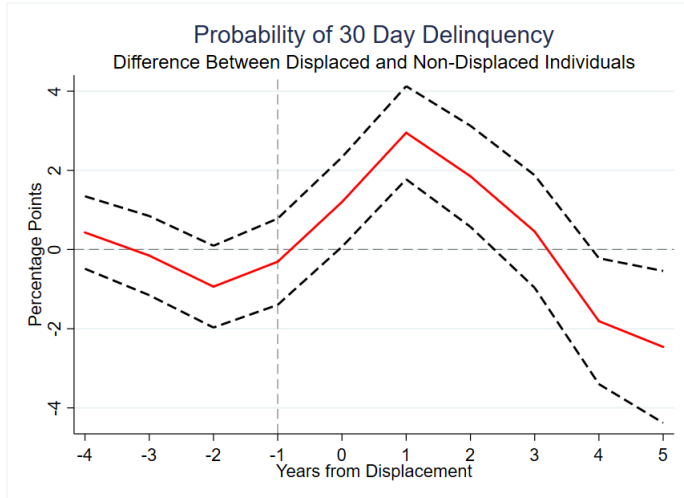
Notes: Clustered SE in parenthesis, where the clustering is performed at the level of the firm where the worker was displaced. \*\*\* $p < 0.01$ , \*\* $p < 0.05$ , \* $p < 0.1$ . Age and wealth controls include a quadratic in age, and deciles for lagged cumulative earnings. The set of variables "K Years Before (After) Displacement" are dummy variables equal to one when an individual is K years before (after) displacement, and equal to zero otherwise. Annual earnings, revolving credit balance and revolving credit limit are in 2008 dollars. Credit score refers to the TransUnion bankruptcy score.

## Credit Score After Layoff Relative to Control Group

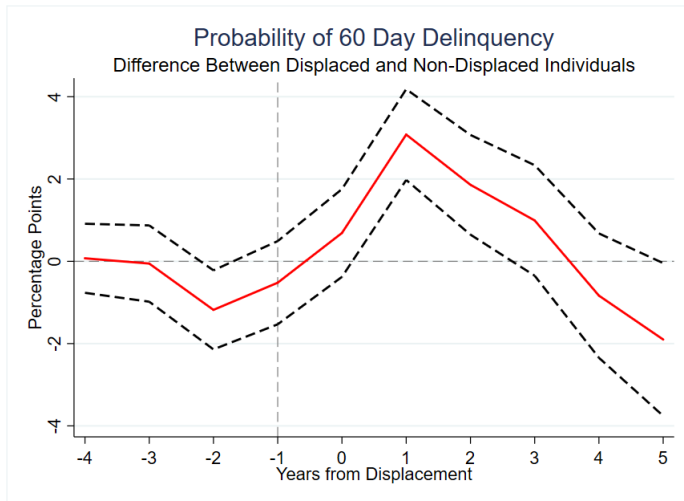


Pre-layoff credit score (Scale 0 to 1000): 427 (average), 267 (SD)

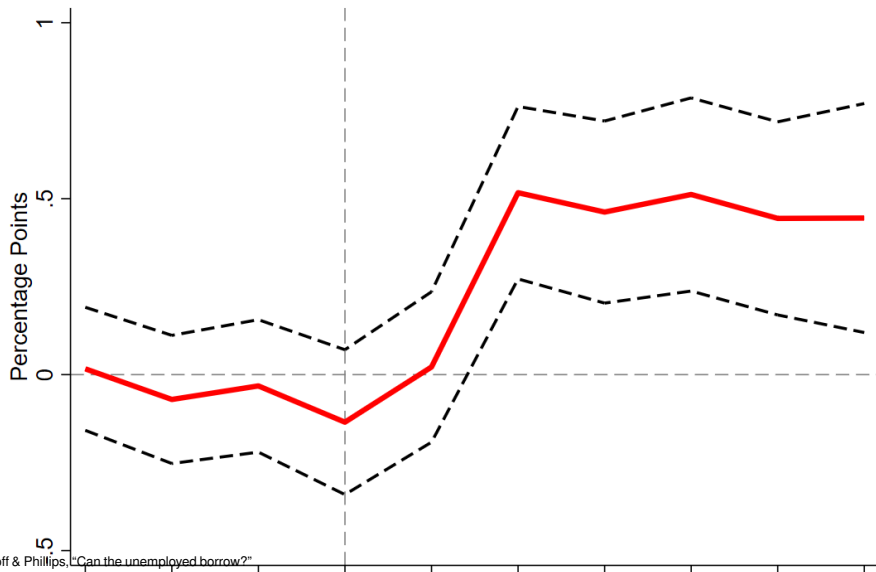
# 30 Day Delinquency



# 60 Day Delinquency



## New Derogatory Flag After Layoff





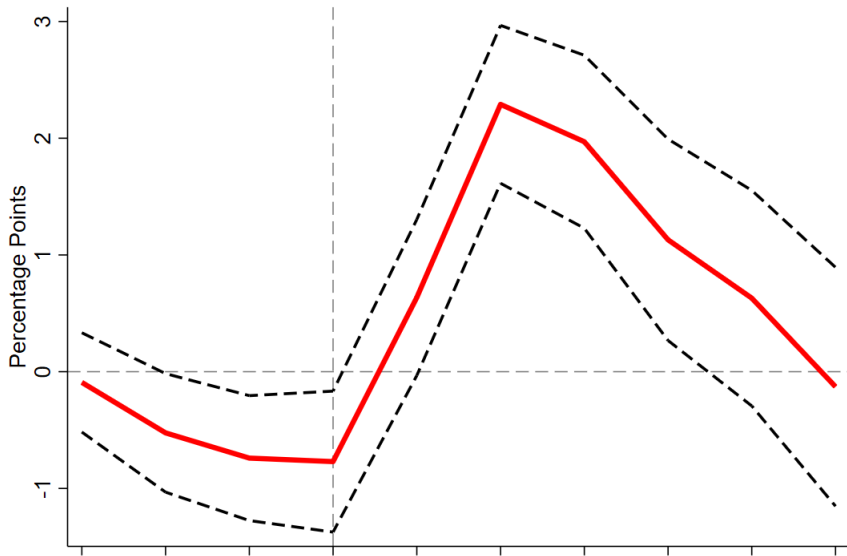
## Summary Statistics: Delevering

**Table:** The Fraction of Displaced Workers who Delever or Default in the Year of Layoff

<b>Fraction of Displaced Workers with...</b>	
Decline in Revolving Credit Balances	0.533
Decline in Revolving Credit Balances and 60-day Delinquency	0.246
Decline in Revolving Credit Balances and Debt Chargeoff	0.122

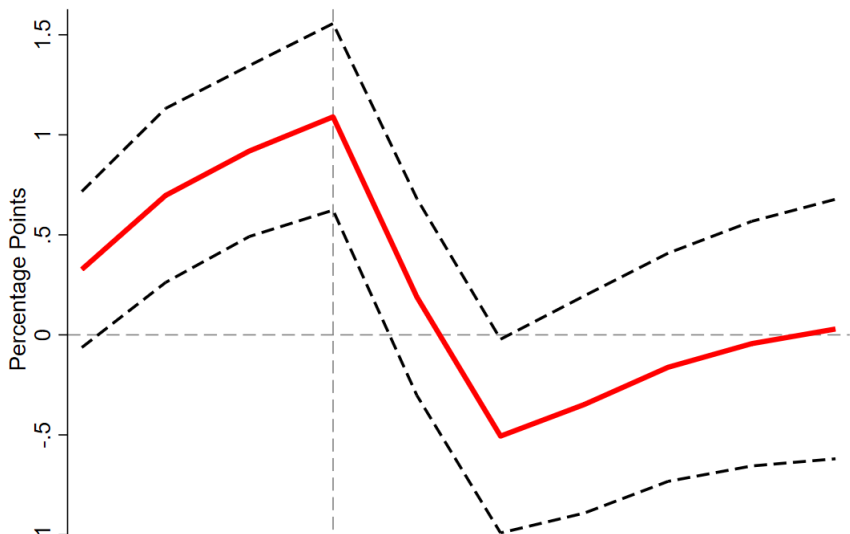
[Return](#)

## Appendix: Delinquency After Layoff Relative to Control Group



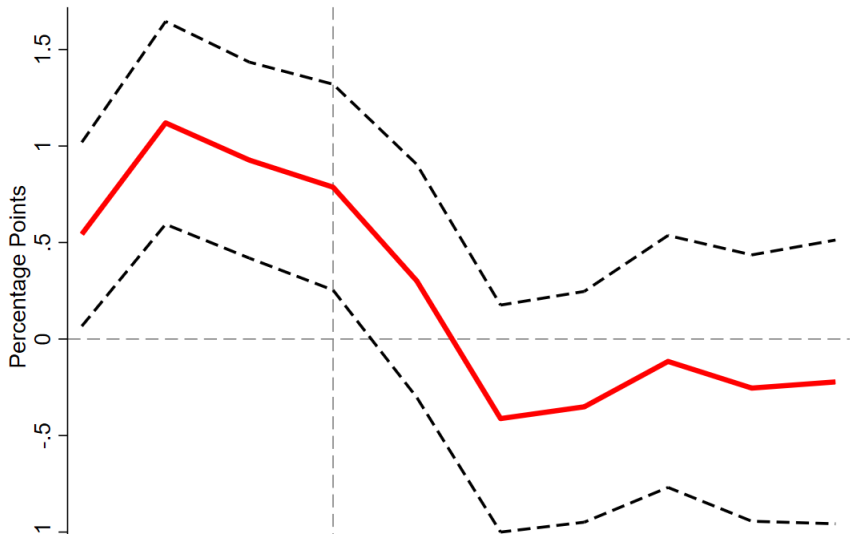
## Appendix: Types of Credit

**Not all credit works the same:** first mortgages mean outflow of money (for downpayment)



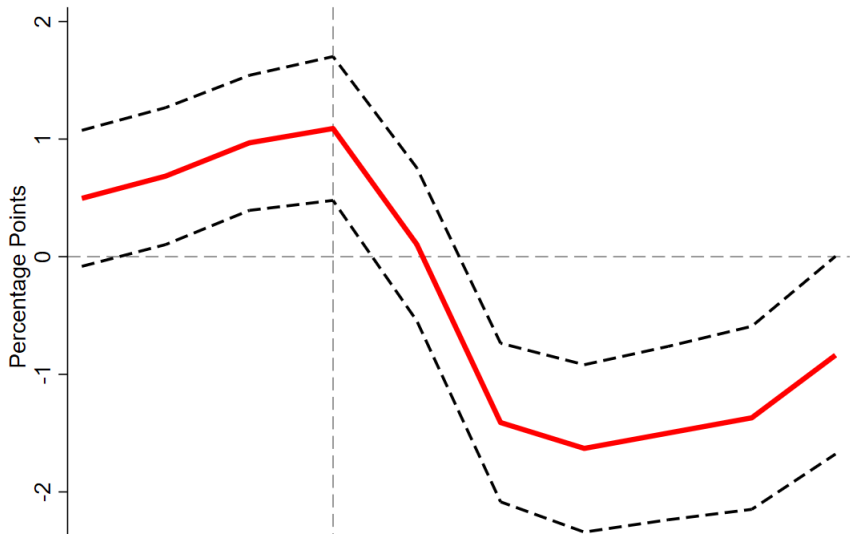
## Appendix: Anticipation Effects

**Anticipation effects?** Some anticipation coming from inquiries



## Appendix: New Tradelines

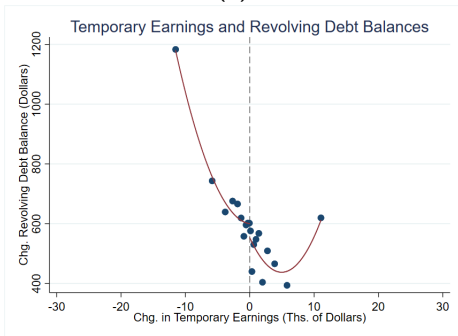
**Anticipation effects?** Some anticipation coming from revolving account openings



# Kalman Filter

- ▶ Kalman Filter 120,000 individuals' quarterly earnings from 1998-I to 2008-IV (transitory is iid, persistent AR(1))
- ▶ For each individual, we have a permanent and transitory income shock
- ▶ Measure response of debt to permanent and transitory earnings losses

(A)



(B)

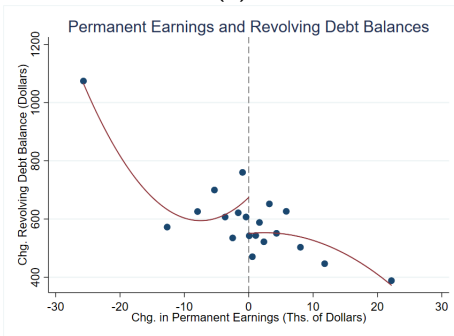
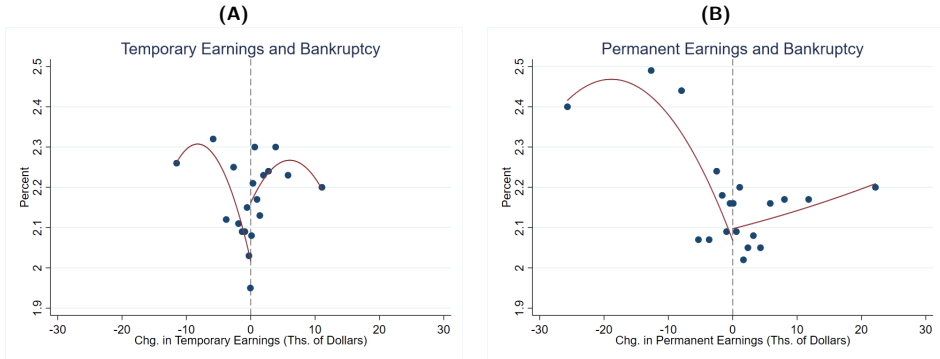
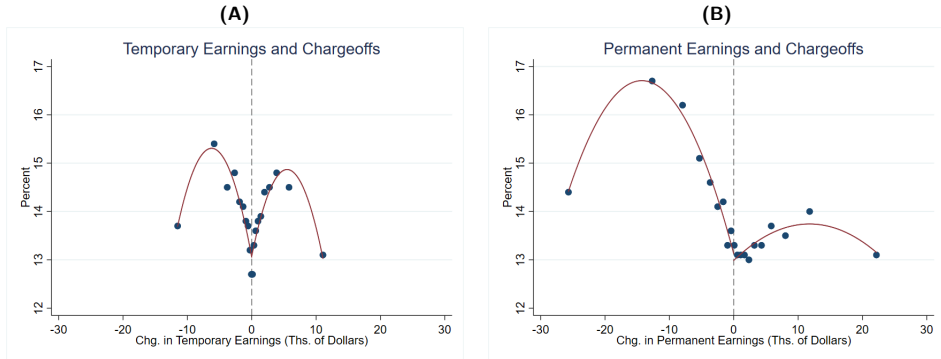


Figure: Response of Bankruptcy to Changes in Temporary and Permanent Earnings



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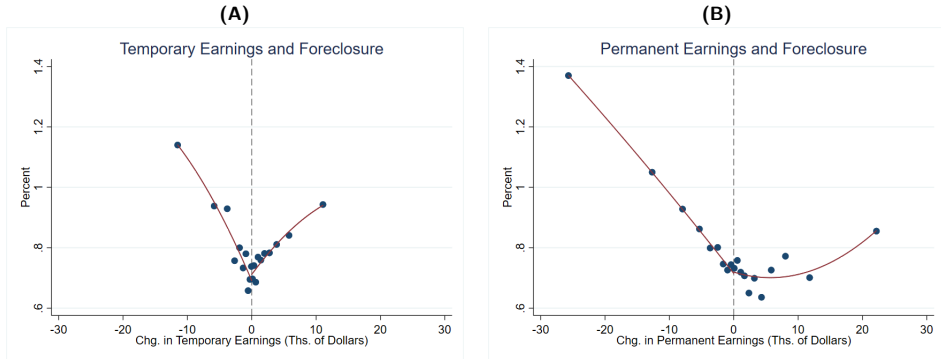
**Figure:** Response of Chargeoffs to Changes in Temporary and Permanent Earnings



[Return](#)



**Figure:** Response of Foreclosure to Changes in Temporary and Permanent Earnings



[Return](#)

## Appendix: Temporary Shocks

- Filter earnings process to obtain deviations from trend (temporary shocks) and movements in the trend (permanent shock)
- Random 10% subsample of TU-LEHD individuals

Table: Transitory vs. Permanent Shock

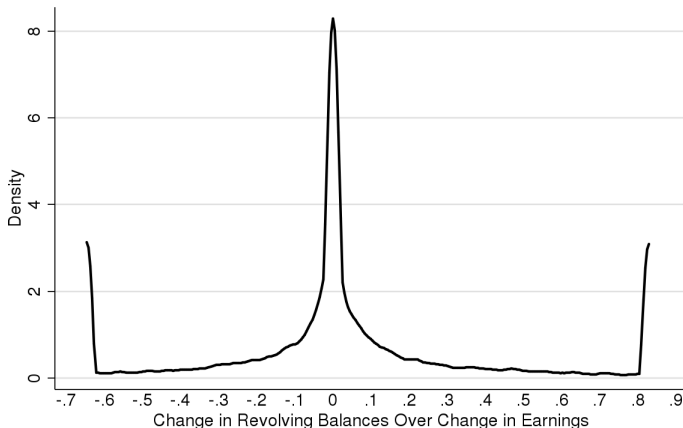
	Chg. Revolv- ing	Debt Charge- off (d)	Bankruptcy (d)
	Credit		
Chg. Temp. Earnings	<b>-0.0121***</b> (0.00133)	-2.63e-08 (3.52e-08)	2.66e-08* (1.60e-08)
Chg. Perm. Earnings	-0.00264 (0.00567)	-2.19e-06*** (1.50e-07)	<b>-3.47e-07***</b> (6.83e-08)
Individual Fixed Effects	Y	Y	Y
Controls	Y	Y	Y
R-Square	0.001	0.002	0.001
No Obs.	799000	799000	799000
No Individ.	124000	124000	124000

## Heterogeneous borrowing responses

- **Sample:** 19,000 displaced worker with earnings loss from t-1 to t+1
- Define replacement rate to be  $RR_{it} = \frac{-(debt_{i,t+1} - debt_{i,t-1})}{earnings_{i,t+1} - earnings_{i,t-1}}$

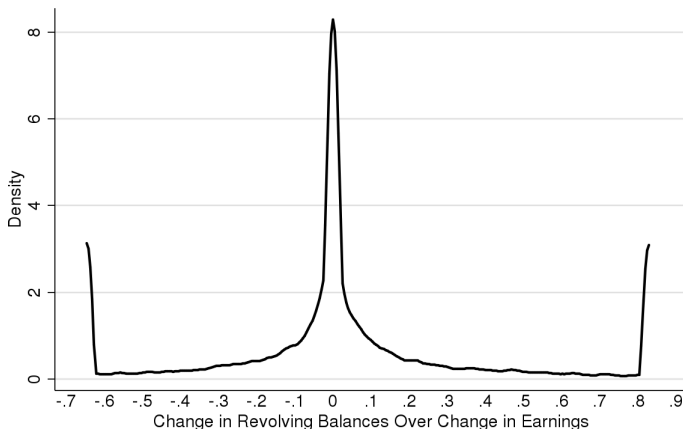
## Heterogeneous borrowing responses

- **Sample:** 19,000 displaced worker with earnings loss from  $t-1$  to  $t+1$
- Define replacement rate to be  $RR_{it} = \frac{-(debt_{i,t+1} - debt_{i,t-1})}{earnings_{i,t+1} - earnings_{i,t-1}}$



## Heterogeneous borrowing responses

- **Sample:** 19,000 displaced worker with earnings loss from t-1 to t+1
- Define replacement rate to be  $RR_{it} = \frac{-(debt_{i,t+1} - debt_{i,t-1})}{earnings_{i,t+1} - earnings_{i,t-1}}$



Delevering: 21% have a chargeoff, 44% have delinquency

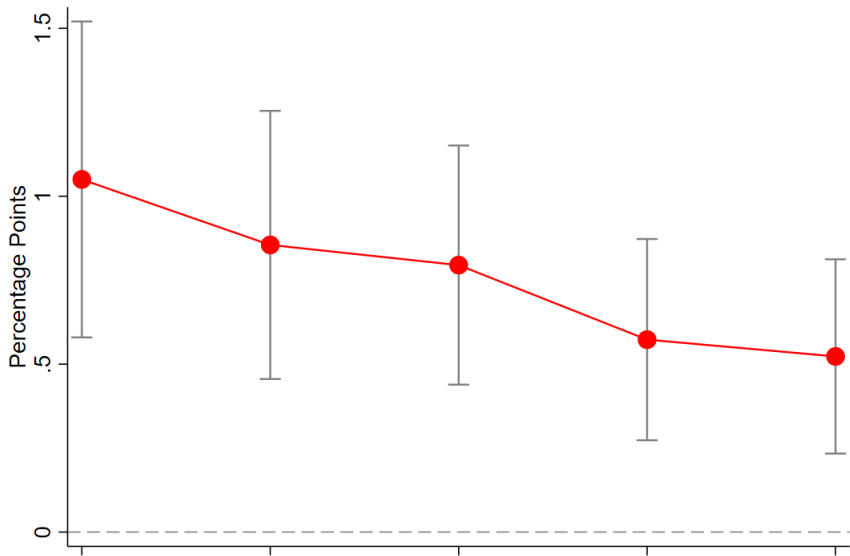
[Back](#)

**Table:** Replacement Rates of Revolving Credit by Credit Score Quintile (Year of Displacement)

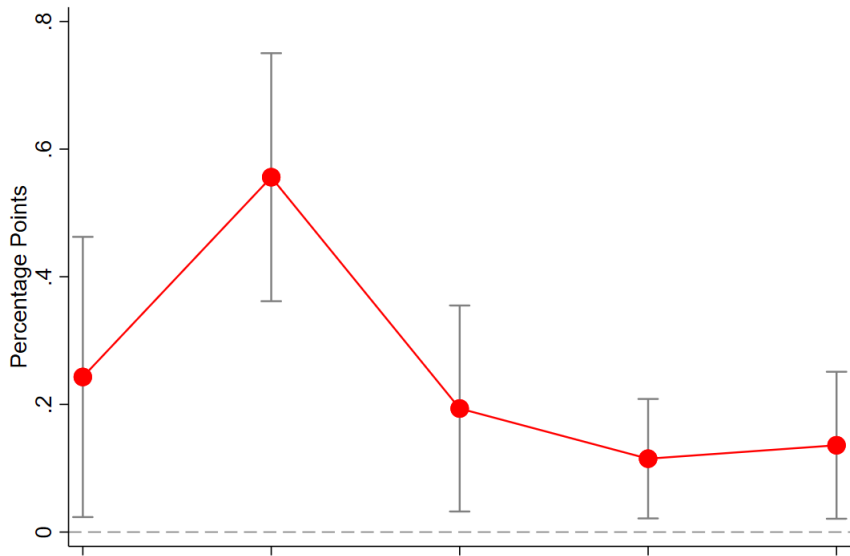
	OLS		Predicted Values
	(1)	(2)	(3)
	Replacement Rate	Replacement Rate	Replacement Rate
Credit Score Quin 1 (d)			-0.0540*** (0.00630)
Credit Score Quin 2 (d)	0.00302 (0.00944)	0.00192 (0.00945)	-0.0521*** (0.00720)
Credit Score Quin 3 (d)	0.0769*** (0.0110)	0.0811*** (0.0110)	0.0271*** (0.00903)
Credit Score Quin 4 (d)	0.185*** (0.0118)	0.192*** (0.0119)	0.138*** (0.0100)
Credit Score Quin 5 (d)	0.248*** (0.0118)	0.262*** (0.0121)	0.208*** (0.0102)
Constant	-0.0492*** (0.00620)	-0.163*** (0.0553)	
Year FE	N	Y	Y
Age and Wealth Controls	N	Y	Y
R square	0.030	0.034	
No Obs.	21000	21000	21000

Notes: Robust SE in parenthesis. \*\*\* $p < 0.01$ , \*\* $p < 0.05$ , \* $p < 0.1$ . Replacement rate is the negative of the change in revolving credit balance over the change in earnings for individuals with an earnings loss in year of displacement. Credit score quintiles are based upon an individuals TransUnion bankruptcy score in the year prior to displacement. Age and wealth controls include a quadratic in age, and deciles for lagged cumulative earnings. The replacement rate used in the estimation is winsorized at the top and bottom at the 10 percent level. Column (3) reports predicted values of the replacement rate by credit score quintile implied by the results of Column (2), where the control variables are evaluated at their sample means.

## 90 Day Delinquency

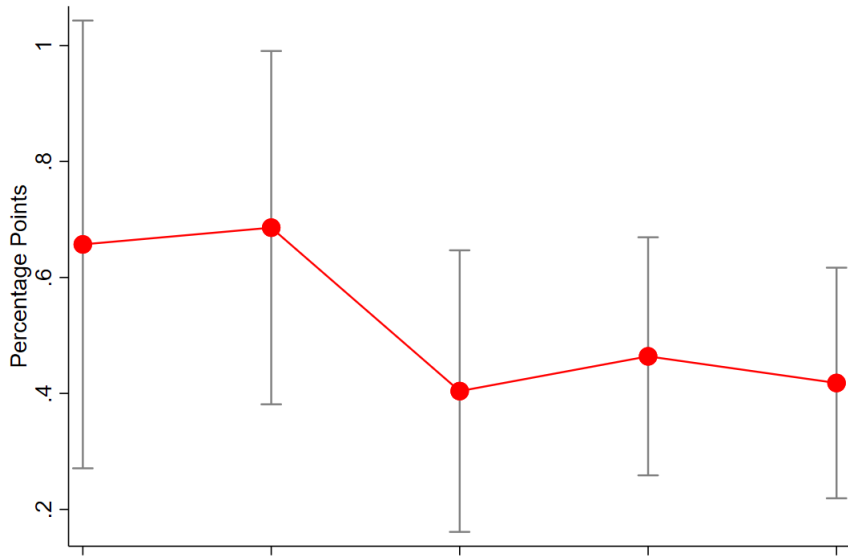


## Derogatory Flag





## Chargeoffs (t-1 to t+1)



**Table:** Revolving Credit Balances by Credit Score [▶ Back](#)

	(1) 2 Yr. Chg. Revolving Bal.	(2) 2 Yr. Chg. Revolving Bal.	(3) 2 Yr. Chg. Revolving Bal.
2 Yr. Chg. Earnings	0.0187*** (0.00575)	0.0680*** (0.0126)	0.0506*** (0.0122)
2 Yr. Chg. Earnings x Credit Access Quin 2		0.0523*** (0.0183)	0.0586*** (0.0182)
2 Yr. Chg. Earnings x Credit Access Quin 3		-0.0488*** (0.0181)	-0.0427** (0.0180)
2 Yr. Chg. Earnings x Credit Access Quin 4		-0.107*** (0.0155)	-0.101*** (0.0152)
2 Yr. Chg. Earnings x Credit Access Quin 5		-0.102*** (0.0139)	-0.0964*** (0.0139)
Constant	1.409 (158.6)	-4,297*** (329.6)	565.0 (1,434)
Credit Access Quin 2 (d)		684.4 (536.0)	766.0 (531.0)
Credit Access Quin 3 (3)		4,240*** (524.8)	4,237*** (519.4)
Credit Access Quin 4 (d)		7,905*** (460.3)	7,847*** (445.1)
Credit Access Quin 5 (d)		7,974*** (416.5)	8,085*** (409.2)
Year Fixed Effects	N	N	Y
Age and Wealth Controls	N	N	Y
R-square	0.001	0.068	0.085
Number of Individuals.	56000	56000	56000
P-Value Chg. Earn Quin 2		0	0
P-Value Chg. Earn Quin 3		0.131	0.538
P-Value Chg. Earn Quin 4		3.05e-05	7.91e-08
P-Value Chg. Earn Quin 5		2.23e-06	6.61e-10

Notes: Clustered SE in parenthesis, where the clustering is performed at the level of the firm where the worker was displaced. \*\*\* $p < 0.01$ , \*\* $p < 0.05$ , \* $p < 0.1$ . Age and wealth controls include a quadratic in age, and deciles for lagged cumulative earnings.

## Lenders Profits

- Let  $\vec{s} = (\omega, b, \vec{h}; \underline{b}, r)$
- Lenders make profits from spread above risk free rate  $r - r_f$  subject to default risk

$$m_{i,t}(\omega, b, \vec{h}; \underline{b}, r) = \beta_{lf} \left[ b'_{i,t}(\vec{s}) \right] \left( \frac{(r_f - r)}{1 + r} + \hat{D}_{i,t+1}(\vec{s}) \right) \times \mathbb{I}\{b'_{i,t}(\vec{s}) < 0\}$$

- Their continuation values are given by,

$$\Pi_{i,t}(\omega, b, \vec{h}; \underline{b}, r) = m_{i,t}(\omega, b, \vec{h}; \underline{b}, r) + \beta_{lf} \mathbb{E} \left[ \Gamma_{i,t+1}(\omega', b', \vec{h}'; \underline{b}, r) \Pi_{i,t+1}(\omega', b', \vec{h}'; \underline{b}, r) \right]$$

where  $\Gamma_{i,t+1}(\omega', b', \vec{h}'; \underline{b}, r)$  is the probability a match continues.

- *Note: finite lives make this problem tractable, no fixed point required*
- Free entry is given by,

$$\kappa_C \geq p_f^c \left( \theta_{i,t}^c(\omega, b, \vec{h}; \underline{b}, r) \right) \Pi_{i,t}(\omega, b, \vec{h}; \underline{b}, r)$$

## Value functions

---

Credit contract choice:

$$V_{i,t}^A(\omega, b, \vec{h}; \underline{b}, r) = \max_{(\underline{b}, \tilde{r})} p(\theta_{i,t}^c(\omega, b, \vec{h}; \underline{b}, \tilde{r})) V_{i,t}(\omega, b, \vec{h}; \underline{b}, \tilde{r}) + \left(1 - p(\theta_{i,t}^c(\omega, b, \vec{h}; \underline{b}, \tilde{r}))\right) V_{i,t}(\omega, b, \vec{h}; \underline{b}, r)$$

## Value functions

### Credit contract choice:

$$V_{i,t}^A(\omega, b, \vec{h}; \underline{b}, r) = \max_{(\underline{b}, \tilde{r})} p(\theta_{i,t}^c(\omega, b, \vec{h}; \underline{b}, \tilde{r})) V_{i,t}(\omega, b, \vec{h}; \underline{b}, \tilde{r}) + \left(1 - p(\theta_{i,t}^c(\omega, b, \vec{h}; \underline{b}, \tilde{r}))\right) V_{i,t}(\omega, b, \vec{h}; \underline{b}, r)$$

### Consumption savings:

$$V_{i,t}(\omega, b, \vec{h}; \underline{b}, r) = \max_{b' \geq \underline{b}} u(c) + \beta_i \mathbb{E} \left[ V_{i,t+1}^L(\omega, b', \vec{h}'; \underline{b}, r) \right]$$

subject to the budget constraint and bond price,

$$c + q(b', r)b' \leq w(\omega, \vec{h}) + b, \quad q(b', r) = \mathbb{I}\{b' < 0\} \frac{1}{1+r} + \mathbb{I}\{b' \geq 0\} \frac{1}{1+r_f}$$

## Value functions

### Credit contract choice:

$$V_{i,t}^A(\omega, b, \vec{h}; \underline{b}, r) = \max_{(\underline{b}, \tilde{r})} p(\theta_{i,t}^c(\omega, b, \vec{h}; \underline{b}, \tilde{r})) V_{i,t}(\omega, b, \vec{h}; \underline{b}, \tilde{r}) + \left(1 - p(\theta_{i,t}^c(\omega, b, \vec{h}; \underline{b}, \tilde{r}))\right) V_{i,t}(\omega, b, \vec{h}; \underline{b}, r)$$

### Consumption savings:

$$V_{i,t}(\omega, b, \vec{h}; \underline{b}, r) = \max_{b' \geq \underline{b}} u(c) + \beta_i \mathbb{E} \left[ V_{i,t+1}^L(\omega, b', \vec{h}'; \underline{b}, r) \right]$$

subject to the budget constraint and bond price,

$$c + q(b', r)b' \leq w(\omega, \vec{h}) + b, \quad q(b', r) = \mathbb{I}\{b' < 0\} \frac{1}{1+r} + \mathbb{I}\{b' \geq 0\} \frac{1}{1+r_f}$$

where income and human capital depends on whether unemployed ( $\omega = 0$ )

$$w(\omega, \vec{h}) = \begin{cases} z + g & \text{if } \omega = 0 \\ (1 - \tau)\omega f(\vec{h}) & \text{if } \omega \neq 0 \end{cases} \quad \vec{h}' = \begin{cases} H_-(\vec{h}) & \text{if } \omega = 0 \\ H_+(\vec{h}) & \text{if } \omega \neq 0 \end{cases}$$

## Labor Market, Default, and Credit Search

---

**Labor market:** unemployed ( $\omega = 0$ ) direct search, **employed** lose job with pr.  $\delta$ :

$$V_{i,t}^L(\omega, b, \vec{h}; \underline{b}, r) = \begin{cases} \max_{\tilde{\omega}} p(\theta_t(\tilde{\omega}, \vec{h})) V_{i,t}^D(\tilde{\omega}, b, \vec{h}; \underline{b}, r) + (1 - p(\theta_t(\tilde{\omega}, \vec{h}))) V_{i,t}^D(0, b, \vec{h}; \underline{b}, r) & \text{if } \omega = 0 \\ (1 - \delta) V_{i,t}^D(\omega, b, \vec{h}; \underline{b}, r) + \delta V_{i,t}^L(0, b, \vec{h}; \underline{b}, r) & \text{if } \omega \neq 0 \end{cases}$$

## Labor Market, Default, and Credit Search

**Labor market:** unemployed ( $\omega = 0$ ) direct search, **employed** lose job with pr.  $\delta$ :

$$V_{i,t}^L(\omega, b, \vec{h}; \underline{b}, r) = \begin{cases} \max_{\tilde{\omega}} p(\theta_t(\tilde{\omega}, \vec{h})) V_{i,t}^D(\tilde{\omega}, b, \vec{h}; \underline{b}, r) + (1 - p(\theta_t(\tilde{\omega}, \vec{h}))) V_{i,t}^D(0, b, \vec{h}; \underline{b}, r) & \text{if } \omega = 0 \\ (1 - \delta) V_{i,t}^D(\omega, b, \vec{h}; \underline{b}, r) + \delta V_{i,t}^L(0, b, \vec{h}; \underline{b}, r) & \text{if } \omega \neq 0 \end{cases}$$

**Default:** lose credit if default, or exogenously with prob.  $\delta_C$ :

$$V_{i,t}^D(\omega, b, \vec{h}; \underline{b}, r) = \delta_C \max\{V_{i,t}(\omega, 0, \vec{h}; 0, 0) - \psi_D(b); V_{i,t}(\omega, b, \vec{h}; 0, 0)\} \\ + (1 - \delta_C) \max\{\underbrace{V_{i,t}(\omega, 0, \vec{h}; 0, 0) - \psi_D(b)}_{\text{Default}}; V_{i,t}^C(\omega, b, \vec{h}; \underline{b}, r)\}$$



## Labor Market, Default, and Credit Search

**Labor market:** unemployed ( $\omega = 0$ ) direct search, **employed** lose job with pr.  $\delta$ :

$$V_{i,t}^L(\omega, b, \vec{h}; \underline{b}, r) = \begin{cases} \max_{\tilde{\omega}} p(\theta_t(\tilde{\omega}, \vec{h})) V_{i,t}^D(\tilde{\omega}, b, \vec{h}; \underline{b}, r) + (1 - p(\theta_t(\tilde{\omega}, \vec{h}))) V_{i,t}^D(0, b, \vec{h}; \underline{b}, r) & \text{if } \omega = 0 \\ (1 - \delta) V_{i,t}^D(\omega, b, \vec{h}; \underline{b}, r) + \delta V_{i,t}^L(0, b, \vec{h}; \underline{b}, r) & \text{if } \omega \neq 0 \end{cases}$$

**Default:** lose credit if default, or exogenously with prob.  $\delta_C$ :

$$V_{i,t}^D(\omega, b, \vec{h}; \underline{b}, r) = \delta_C \max\{V_{i,t}(\omega, 0, \vec{h}; 0, 0) - \psi_D(b); V_{i,t}(\omega, b, \vec{h}; 0, 0)\} \\ + (1 - \delta_C) \max\{\underbrace{V_{i,t}(\omega, 0, \vec{h}; 0, 0) - \psi_D(b)}_{\text{Default}}; V_{i,t}^C(\omega, b, \vec{h}; \underline{b}, r)\}$$

**Credit application:** pay utility cost to apply

$$V_{i,t}^C(\omega, b, \vec{h}; \underline{b}, r) = \max\{V_{i,t}^A(\omega, b, \vec{h}; \underline{b}, r) - \kappa_S, V_{i,t}(\omega, b, \vec{h}; \underline{b}, r)\}$$

# Closing the economy

**Matched firm:**

$$J_t(\omega, \vec{h}) = (1 - \omega)f(\vec{h}) + \beta_{lf}\mathbb{E} \left[ (1 - \delta)J_{t+1}(\omega, \vec{h}') \right] \quad \forall t \leq T$$

subject to the law of motion for human capital for employed individuals,

$$\vec{h}' = H(\vec{h}, W)$$

**Hiring firm:** Pay  $\kappa$  to post vacancy in submarket  $(\omega, \vec{h}, t)$ . Free-entry:

$$\kappa \geq p_f \left( \theta_t(\omega, \vec{h}) \right) J_t(\omega, \vec{h}) \quad (1)$$

**Government:**

- Finance transfer  $z$  with proportional tax  $\tau$  on earnings where  $\vec{s} = (\omega, b, \vec{h}; \underline{b}, r)$

$$z \sum_{(i,t)} \sum_{\vec{s}} (\hat{u}_{i,t}(\vec{s}) + \gamma \hat{n}_{i,t}) = \sum_{(i,t)} \sum_{\vec{s}} \tau (\omega f(h) \hat{e}_{i,t}(\vec{s})) \quad (2)$$

# Equilibrium Definition

Notation:

- ▶  $\mu : \{e, a, i, \omega, b, \vec{h}, \underline{b}, r, t\} \rightarrow [0, 1]$  is distribution of agents
- ▶ Let  $\vec{x}$  summarize the state vector of a individual

**Definition.** A recursive equilibrium in this economy is a set of individual policy functions for savings and borrowing  $\{b'_{i,e,t}(\vec{x})\}_{t=1}^T$ , credit applications  $\{S_{i,e,t}(\vec{x})\}_{t=1}^T$ , bankruptcy  $\{D_{i,t}^{a,e}(\vec{x})\}_{t=1}^T$ , job search choice  $\{\hat{\omega}_{i,t}(\vec{x})\}_{t=1}^T$ , credit contract choice  $\{(r, \underline{b})_{i,e,t}(\vec{x})\}_{t=1}^T$ , labor market tightness function  $\{\theta_t(\omega, \vec{h})\}_{t=1}^T$ , credit market tightness function  $\{\theta_{i,t}^{c,e}(\vec{x})\}_{t=1}^T$  for employed  $e = W$  and unemployed  $e = U$  individuals as well as patient  $i = L$  and impatient  $i = H$  individuals, a public insurance transfer to the unemployed  $z$ , a proportional tax rate  $\tau$ , and a distribution of individuals across states  $\mu$ :

- Households' decision rules are optimal.
- The labor market tightness satisfies the free entry condition in the labor market.
- The credit market tightnesses satisfy the free entry conditions for lenders.
- The distribution of individuals across states  $\mu$  is consistent with individual policy functions.
- The tax rate  $\tau$  balances the government budget.

# Conditional Block Recursivity

## Conditional Block Recursivity

- ▶  $\mu$  only enters consumer problem through  $\tau$
- ▶ Path of  $\tau$  is only object HHs need to know to forecast relevant prices along transition path

**Proposition:** *Suppose  $\tau$  is given and the government budget does not need to balance (i.e. equilibrium condition v. is not imposed). Assume that the utility function meets standard conditions ( $u' > 0$ ,  $u'' < 0$ ,  $\lim_{c \rightarrow \infty} u'(c) = 0$  and  $u$  is invertible), the labor and credit matching functions are invertible and constant returns to scale, and there are compact supports for the choice set of interest rates  $r \in \mathcal{R} \equiv [\underline{r}, \bar{r}]$ , borrowing limits  $\underline{b} \in \underline{\mathcal{B}} \equiv [\underline{B}, 0]$ , and the piece rate of wages  $\omega \in [0, 1]$ , then individual policy functions, the credit market tightness, and the labor market tightness do not depend on the distribution of individuals across states,  $\mu$ .*

# Calibration

Annual period, steady state to match moments from 1995 to 2007

- Annualized risk free rate is 4%
- Discount factor for firms and lenders is set to  $\beta_{lf} = 0.99$ .
- Low worker type (who generates *low* profits to the lender) has a discount factor  $\beta_L = 0.99$ .
- Discount factor of high type (who generates high profits for the lender),  $\beta_H = .632$ , set to match 95th percentile of real credit card interest rates (19.03%)

## Calibration, continued

### Labor market:

- Set the job destruction rate to a constant 10% per quarter,  $\delta = 0.1$
- Matching function  $\zeta = 1.6$  (following Schaal 2012):

$$M(u, v) = \frac{u \cdot v}{(u^\zeta + v^\zeta)^{1/\zeta}} \in [0, 1)$$

- $\kappa = .995$  is estimated to target an unemployment rate of 5.0%

## Calibration, continued

- Exogenous credit separation rate is 2.6% per quarter,  $\delta_c = 0.026$  (Fulford 2015)
- Credit matching function  $\zeta_C = 0.37$  (Herkenhoff 2013):

$$M_C(u_C, v_C) = \frac{u_C \cdot v_C}{(u_C^{\zeta_C} + v_C^{\zeta_C})^{1/\zeta_C}} \in [0, 1]$$

- Grid of interest rates s.t.  $\underline{r}$  is 10.5%,  $\bar{r}$  is 22.5% (Agarwal et al. 2014, and P99 SCF).
- $\kappa_C = 2.214 \times 10^{-5}$  is estimated so that the credit finding rate in the model matches the new-borrower credit approval rate of 65.0% (SCF 2007-2009)
- Utility cost of searching for a credit  $\kappa_S$  calibrated to match 69.8% of agents with credit access (SCF 1995-2007).
- $\kappa_S = 1.272 \times 10^{-4}$  is calibrated to match the fact that 69.8% of the population has credit access (SCF 1995-2007)

# Calibration, Continued

## Human capital process

- Persistent human capital lies on grid:

$$\tilde{h} \in [0.6, 0.7, 0.8, 0.9, 1, 1.1, 1.2]$$

- $\vec{h} = (\tilde{h}, \epsilon)$  where  $\tilde{h}$  is persistent,  $\epsilon$  iid
- Persistent human capital depreciates by  $\Delta = 0.1$  at rate  $p_{\tilde{h},L}$  while unemployed
- Persistent human capital appreciated by  $\Delta = 0.1$  at rate  $p_{\tilde{h},H}$  while employed
- Transitory human capital iid, governed by  $p_{\epsilon,L}$  and  $p_{\epsilon,H}$
- Size of iid shock is  $\Delta_{\epsilon}(\tilde{h}') = 0.095\tilde{h}'$



## Calibration, Continued

### Human capital process

- Set  $p_{\tilde{h},L} = .651$  to match 5yr earnings loss in LEHD
- Set  $p_{\tilde{h},H} = .083$  to match residual age-wage elasticity in CPS (1995-2007)
- Transitory  $p_{\epsilon,L} = .111$  and  $p_{\epsilon,H} = .252$  to match statistics reported by (Kurmann and McEntarfer (2017))
- Initial persistent human capital drawn from exponential distribution ( $\lambda_H$ ).
- Set parameter  $\lambda_H$  to match the P75-P25 earnings ratio of young workers (workers between 25 and 29) in CPS
- We assume the production function is linear in the human capital,  $f(\vec{h}) = \tilde{h} + \epsilon$ .

## Calibration of Transfers

- **Home production:**  $g = 0.146$  is calibrated to target the decline in consumption associated with job loss.
  - Using the PSID, we estimate that, on average, individuals who experience at least 1-quarter of unemployment have annual consumption that is 93.8% of their consumption level prior to layoff.
- **Public transfer to unemployed workers:**  $z = .327$  is estimated to match the 41.2% public transfer replacement rate (change in public transfers divided by change in annual income) among laid-off workers observed in the PSID between 2001 and 2013
- **Fraction of high-types:**  $\pi_H = 1 - \pi_L = .096$ , to target the fact that 31.38% of individuals report having a ratio of net liquid assets to annual gross income that is less than 1 percent in the SCF between 1995 and 2007.

## Calibration, Continued

- Households preferences over non-durable consumption are given by:

$$u(c) = \frac{c^{1-\sigma} - 1}{1-\sigma}$$

- We set the risk aversion parameter to a standard value,  $\sigma = 2$ .
- A worker's life span is set to  $T = 120$  quarters (30 years).
- Newborns enter as unemployed workers, exponential draw of  $h$  (calibrated to match young wage dispersion), zero assets and without a credit contract.

Table: Model Parameters

Variable	Value	Non-estimated
		Description
$r_f$	0.04	Risk free rate
$\beta_{lf}$	0.99	Discount factor: lenders and firm
$\beta_L$	0.99	Discount factor low worker type
$\delta$	0.1	Exogenous job destruction rate
$\zeta$	1.6	Labor match elasticity
$\delta_C$	0.026	Exogenous credit destruction rate
$\zeta_C$	0.37	Credit match elasticity
$\underline{r}$	10.5%	Minimum (annualized) interest rate
$\bar{r}$	22.5%	Maximum (annualized) interest rate
$\sigma$	2	Risk aversion
$T$	120	Lifespan in quarters
Variable	Value	Jointly-estimated
		Description
$z$	0.327	Public insurance transfer to unemployed
$\kappa$	0.995	Firm entry cost
$\kappa_C$	$2.214 \times 10^{-5}$	Lender entry cost
$\kappa_S$	$1.272 \times 10^{-4}$	Utility penalty of searching for credit
$\psi_D$	14.771	Utility penalty of default
$p_{h,L}$	0.651	Prob. persistent human capital decrease
$p_{h,H}$	0.083	Prob. persistent human capital increase
$p_{e,L}$	0.111	Prob. transitory human capital low
$p_{e,H}$	0.252	Prob. transitory human capital high
$\lambda_H$	2.943	Exponential parameter initial persistent human capital
$g$	0.146	Home production
$\underline{B}$	-1.149	Lower bound for borrowing limit
$\beta_H$	0.632	Discount factor: high worker type
$\pi_L$	0.904	Share of low type individuals

## Welfare Calculation

Index individuals by  $j$ ,  $i(j)$  is their type

$$\sum_{t=1}^T \beta_{i(j)}^t \left( \frac{(\lambda_j c_t^j)^{1-\sigma} - 1}{1-\sigma} - \psi_D(b_t^j) D_t^j - \kappa_S S_t^j \right) = \sum_{t=1}^T \beta_{i(j)}^t \left( \frac{(\tilde{c}_t^j)^{1-\sigma} - 1}{1-\sigma} - \psi_D(\tilde{b}_t^j) \tilde{D}_t^j - \kappa_S \tilde{S}_t^j \right) \quad (3)$$

Solving equation (3) for  $\lambda_j$  returns:

$$\lambda_j = \left[ \frac{\sum_{t=1}^T \beta_{i(j)}^t \left( \frac{(\tilde{c}_t^j)^{1-\sigma}}{1-\sigma} - (\psi_D(\tilde{b}_t^j) \tilde{D}_t^j - \psi_D(b_t^j) D_t^j) - (\kappa_S \tilde{S}_t^j - \kappa_S S_t^j) \right)}{\sum_{t=1}^T \beta_{i(j)}^t \left( \frac{(c_t^j)^{1-\sigma}}{1-\sigma} \right)} \right]^{\frac{1}{1-\sigma}} \quad (4)$$

**The utilitarian welfare:**

$$Welfare_U(p) = \frac{1}{N} \sum_{j=1}^N 100(\lambda_{j,p} - 1)$$

# Summary Statistics

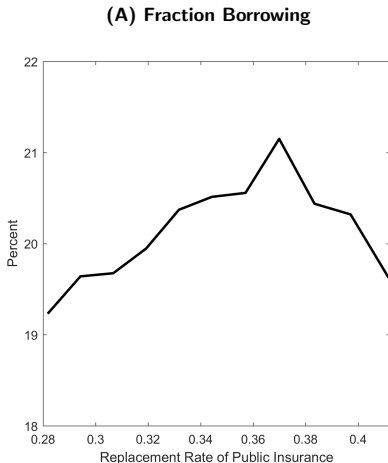
Table: Summary Statistics

<b>(A) Panel Sample (Year Prior to Mass Layoff)</b>		
	Treatment	Control
Annual Earnings	\$51,340	\$52,710
Age	40.7	42.15
Revolving Credit Balance	\$11,300	\$11,890
Revolving Credit Limit	\$29,780	\$33,330
Unused Revolving Credit to Income	0.394	0.491
Observations (Rounded to 000s)	92000	126000
<b>(B) Cross Sectional Sample (Year Prior to Mass Layoff)</b>		
	Unused Revolving Credit Share ( $= \frac{\text{Limit minus Balance}}{\text{Limit}}$ )	
Credit Access Quintile 1	-0.0027	
Credit Access Quintile 2	0.3113	
Credit Access Quintile 3	0.5773	
Credit Access Quintile 4	0.8313	
Credit Access Quintile 5	0.9833	

► Back

## Why is credit a poor substitute for UI?

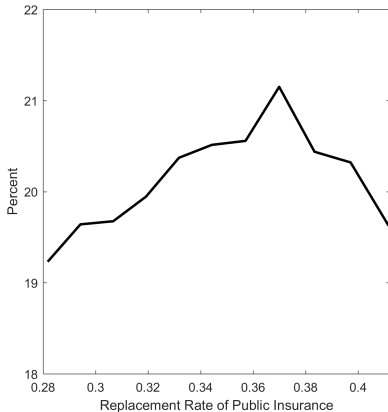
- **Macro Complements** when  $z$  is low – fewer individuals borrow



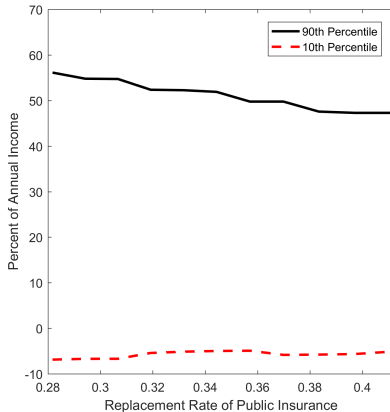
## Why is credit a poor substitute for UI?

- **Macro Complements** when  $z$  is low – fewer individuals borrow
- **Precautionary motives kick in**, more saving

(A) Fraction Borrowing



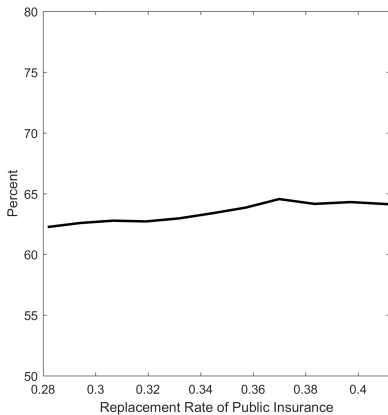
(B) Wealth Distribution





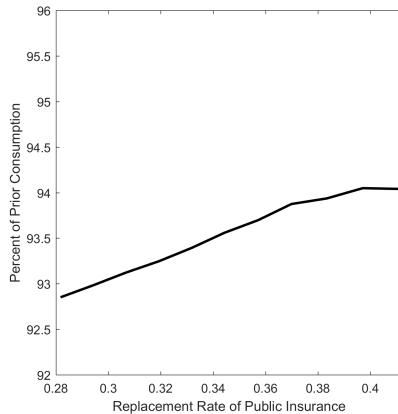
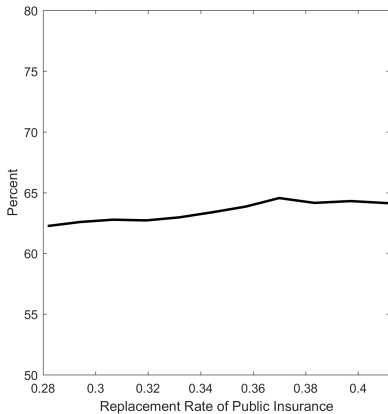
## Why is credit a poor substitute for UI?

- Macro complements: Credit finding rate falls



## Why is credit a poor substitute for UI?

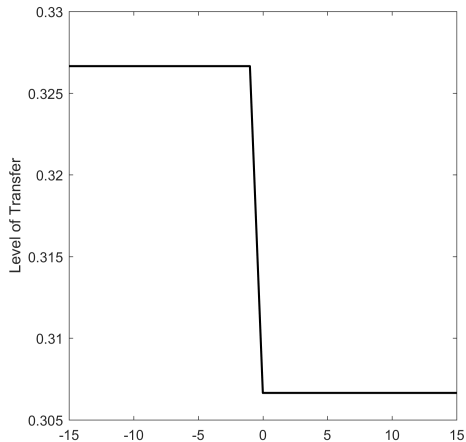
- Macro complements: Credit finding rate falls
- Consumption losses are monotonically larger



## Transition Path

- $z$  cut unexpectedly, replacement falls from 41.2% to 38.3%
- Thereafter, rational expectations over future path of taxes ▶

(A) Public Transfer  $z$



(B) Tax Rate  $\tau$

